



Analysis of Bharadwaj Spectral Rings

RAKESH KUMAR PANDEY

Synod Higher Secondary School, Mission Vengthlang, Aizawl, Mizoram, India.

Abstracts

Originally written in Sanskrit by Maharshi Bharadwaj in Vedic period, the Amshubodhini has mentioned a novel spectrometer Dhvanta Pramapaka Yantra that measures the three components viz. ultraviolet, visible and infrared regions of solar radiation simultaneously using a conical prism that forms unique circular spectrum unlike linear spectrum formed by a conventional triangular prism. The present article discusses in detail about the Dhvanta Pramapaka Yantra and its working as well as the complexity of the spectral rings formed by a conical prism in terms of assimilation of Snell's laws of refraction and Cauchy's dispersion relation. It is found the assimilated formula reproduces the observed spectral data and the dark lines in solar spectrum vis-à-vis Fraunhofer lines in modern spectroscopy and obtained by the Maharshi. Wavenumber is proportional to square root of change in radii of spectral rings associated to its limiting value $\bar{\nu} = 0$ is reported. Not only properties and methods of preparation of materials useful in construction of lenses, prism, windows, etc. used in radiation studies were known to Vedic talents but also, they have discovered a very special non-hygroscopic material such as the prakashastambhanadi for $\bar{\nu} = (5000-1400)\text{cm}^{-1}$ transparent to infrared radiation.



Article History

Received: 01 November 2024
Accepted: 06 December 2024

Keywords:

Bharadwaj Spectral Rings;
Conical Prism;
Dhvanta Pramapaka Yantra;
Kakshya; Linear Spectrum;
Non-Hygroscopic Material.

Introduction

An ordinary sunlight contains seven colors VIBGYOR, which become visible in a rainbow or when light passes through a prism. If a star is big enough, in its sparkle, the seven colors appear same as the emission of color from a diamond. Many Vedic verses state the presence of seven visible colors in sunrays long before establishment of optics. Some verses that state light dispersion are as follow:

Radiant seven rays, which are yours hairs Sun, carry illumination (chariot). (Rig Veda 1.50.8)

A single ray (single wheeled chariot) comprising of seven colors carries sunlight. (Rig Veda 22.164.2 and Atharvaveda I 9.14.2)

He, who is seven rayed, the bull, the mighty, set free the seven oceans to flow at pleasures. (Rig Veda 2.12.12)

CONTACT Rakesh Kumar Pandey ✉ drrakesh0107@yahoo.co.in 📍 Synod Higher Secondary School, Mission Vengthlang, Aizawl, Mizoram, India.



© 2025 The Author(s). Published by Oriental Scientific Publishing Company

This is an Open Access article licensed under a Creative Commons license: Attribution 4.0 International (CC-BY).

Doi: <https://dx.doi.org/10.13005/OJPS10.01.12>

Purifier sunlight contains seven colorful rays by which light reaches everywhere. (Yajurveda 6.5.13)

Sun observes whole world with seven colorful rays. (Samaveda 4.36.7)

There are seven types of sunrays. (Atharva Veda 7.107.1)

A single white ray alone is known by seven names. (Taittareeya Aaranyaka 3.11.9)

There are thousands of self-divisible rays, which form seven distinct groups of rays that combine to a single ray of a Sun. (Brahmand Puran, Kalpaprasandhi Varnanam 45)

It is very interesting that sunrays have seven distinct regions comprising thousands self-divisible discrete rays each. Surprisingly, electromagnetic EM waves have seven distinct regions viz. gamma rays, X-rays, ultraviolet UV, visible, infrared IR, microwave, and radio wave. Visible region lies between UV and IR regions of EM spectrum. UV region is at smallest wavelength and IR region is at longest wavelength ends of visible region. Maharshi Bharadwaj named UV, visible region, and IR regions to andhatama (dark), gurhatama, and tama (heat), respectively. He had studied about the three components viz.; UV, visible and IR of solar radiation in detail using his own devised spectrometer, the Dhvanta Pramapaka Yantra (radiation measuring device), and a conical prism and compiled the findings in his book Amshubodhini in Vedic period.¹ Unlike the linear spectrum formed by a conventional *triangular* prism, he succeeded to form a unique circular spectrum, using a conical prism- a three-dimensional array of infinite *triangular* prisms. He has also studied in detail the dark lines in sunlight so called as Fraunhofer's lines in modern spectroscopy and different solar spectral series using his spectrometer.²⁻⁶ The availability of explanations of spectral rings formed by a conical prism used in the Dhvanta Pramapaka Yantra is very scanty due to its complexity.

From the concerned literature survey, it is found that Vedic hymns state presence of seven colors in sunrays but, measurements and analyses of UV, visible and IR components of solar radiation using conical prism are only available in the

Amshubodhini. Thus, it becomes quite imperative to bring ancient spectrometer and its outcomes reported by Bharadwaj in notices of researchers to promote this unique discovery. The present article discusses in detail about the spectrometer Dhvanta Pramapaka Yantra mentioned in Amshubodhini. The working of this spectrometer and theories behind complexity of circular spectral rings formed by a conical prism in terms of the assimilation of Snell's law of refraction, basic dispersion laws through a *triangular* prism and Cauchy's dispersion relation are explained. It is found the assimilated formula reproduces vis-à-vis spectral data observed using modern systems and obtained by the Maharshi. It is also reported that wavenumber $\bar{\nu}$, which is reciprocal of wavelength, is proportional to the square root of change in radii of spectral rings concerned with that for the limiting value $\bar{\nu}=0$. The Vedic talents were not only well known about the properties and methods of preparation of materials useful in construction of lenses, prism, windows, etc. used in radiation studies but also, they have discovered a very special non-hygroscopic material prakashastambhanadi for $\bar{\nu}=(5000-1400)\text{ cm}^{-1}$ transparent to infrared radiation.

Materials and Methods

The Analyses of Bharadwaj spectral rings include experimental set-up, formation of the Bharadwaj spectral rings, theory of its formation, evaluation of kakshya, and measurements.

Experimental Set-up

In accordance with the Amshubodhini Aphorisms 9-10, high speed electrons and positrons annihilate to produce radiation that further splits into many parts and three of them are measurable radiation viz. ultraviolet UV, visible, and infrared IR simultaneously by Dhvanta Pramapaka Yantra. Unlike linear spectrum formed by conventional *triangular* prism, Dhvanta Pramapaka Yantra splits light rays into its components by passing through a conical prism that forms unique circular spectrum in the universal deviation setting and facilitates readings of spectral rings on a dial and thus, seems to be a new concept of today. In his book Dhvanta Vijyan Bhashkara, Sharikanath (760AD-840AD) has explained that the cause of various kinds of radiations is vibrations and movements of electrons and positrons and their annihilation produces pure energy in radiation form.⁷ Fig. 1 shows a schematic

diagram of Dhvanta Pramapaka Yantra mentioned in Amshubodhini verses. Sharikanath has cited that Dhvanta Pramapaka Yantra has 32 ancillaries to elucidate spectrum in detail is 109th instrument stated in the book Yantra Sarvasya of Maharshi Bharadwaj. However, only 13 ancillaries are sufficient to explain spectrum. According to the ancillaries, first of all, fix a light weight UV transparent circular shining plate made of 106th class glass of diameter 10 *Vitas* over a firm glass made base of size 10 *vitas*×10

vitas (marked ①) where 1 *Vitas*=12 *Angulas* and 4 *Angulas*≈10cm. After that, stony glass made rod so called principal pillar marked ③ of circumference 4 *Angulas* and height 6 *Vitas*, which has three holes one below other at one *Vita* apart from top along with electrical wirings that connect the other parts, is fixed firmly in the center of mirror at base. Fix three glass rods of lengths 60,50, and 40 *Angulas*, respectively horizontally through these holes in downwards.

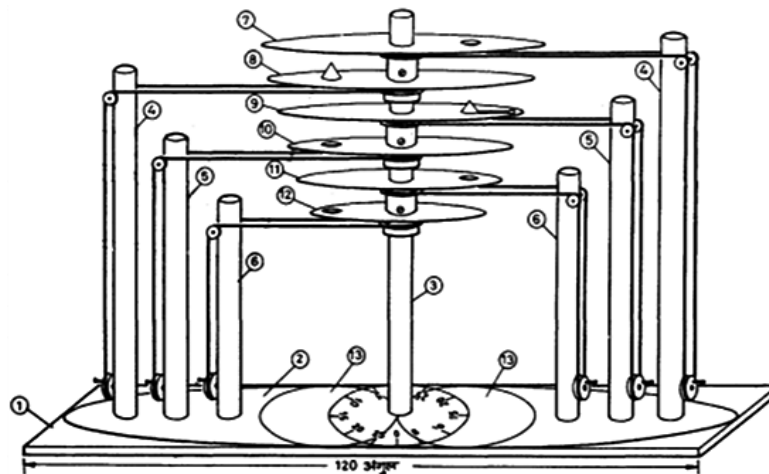


Fig.1: Schematic diagram of Dhvanta Pramapaka Yantra as in Ref. 6.

Later, a plane mirror graduated equally in 30-30 divisions in anticlockwise in right semicircle and clockwise in left semicircle is placed such that it holds central pillar in its center. Each division is a *Ghatika* (1 *Ghatika*=24 minutes or 6°) marked with dots in digits in day (right semicircle) and in night (left semi-circle) making sections like a 24-hour clock dial. Divide each of these angles into sixty equal parts and each of these sub-divisions represents a *Vighatica* 1 *Vighatica*=24 seconds.

On both sides of third hole, stony glass made two poles of height 60 *Angulas* (marked ④), two poles of height 50 *Angulas* (marked ⑤), and another two poles (marked ⑥) of height 40 *Angulas* are fixed at 10-10, 8-8, and 6-6 *Angulas* from the principal pillar, respectively. Although heights of pairs of poles on both sides are equal yet in general, the position of poles on right sides are kept slightly higher than the corresponding hole while that on left sides are kept slightly lower than the same hole. On both sides

of central pillar, 3-pulleys-rope-axle mechanisms connecting central pillar running from top of all poles are fixed on the base.

After that, holding collimating lens (prabhakaramani) of glass 88th class, divakardarsh disc of glass 106th class (marked ⑦) of radius 50 *Angulas* and graduated with 30-30 lines in its two halves in anticlockwise and clockwise will be placed horizontally above the third hole in such a manner that it can be turned via rope over 3-pulleys-rope-axle system fixed on the right. Then, graduated like divakardarsh, a 216th class glass nishakaradarsha disc (marked ⑧) of radius 45 *Angulas* washed with CaOH_2 and H_3PO_4 embedded with 157th class glass conical prism as dispersing element that look like moon halo will be placed below third hole on principal pillar in a manner that rope over pulley on left side can rotate it. Then after, inscribed with points, indicator lines having two cavities, bhanuphalak (marked ⑨), is of radius 6 *Angulas* less than that of

nishakaradarsh disc is placed above second hole on central pillar so as it would be rotated freely with help of 3-pulleys-rope-axle mechanism on the right. In the first cavity, an infrared absorbing sensitive graduated gharmapaharakamani made of 164th class glass is submerged into mercury. The extra amount of mercury that spills out due to rise in temperature is collected into lower second cavity before it gets amalgamated.

Bhanuphalaka resembles to a honeycomb in appearance is made from alloy of 8 parts of extracts of green doorva grass, lotus flower, etc. i.e. potassium iodide KI, 16 parts of copper Cu of 16th grade, 8 parts of gold Au of 12th grade, 6 parts of arsenic sulphide AsS₂ & AsS₃, 5 parts of mercury Hg, and 6 parts of quartz SiO₂ (suryakantmani) placed in a crucible and fused in a furnace at temperature 432 degree of ancient scale and poured into a die to cast. This iron casted material of empirical formula 8KI16Cu8Au6AsS₂ 5Hg6SiO₂ is the ushnepakarshaka is transparent to heat. Suryakantmani is dual in nature as it appears watery under solar radiations otherwise fiery. After that, inscribed with points and lines the smoky circular dhoom-chhaya- mukha-darsa glass plate marked ⑩, on which is placed 214th class glass made convex lens (tamograhaka mani) suitable to ultraviolet radiation (tamachhaya). The combination is placed below second hole such that 3-pulleys-rope-axle mechanism on left could rotate it. When exposed to sunlight, this transmits ultraviolet radiation, which is measured on graduations on it. A calibrated glass bhanugarbhadarsha circular disc joined with a convex lens marked ⑪ is placed over the first hole such that it could be easily turned by 3-pulleys-rope-axle mechanism provided on right side. The convex lens absorbs some part of incident light, which is measurable from graduations on Bhanugarbhadarsha, received from bhanuphalak. Made by above mentioned method and glass prakashastambhanabhidlauha, a special prakash stambhan disc marked ⑫ with graduations and on which another convex lens (vallabhamani) is seated. Place this arrangement below the first hole and connect firmly to corresponding 3-pulleys-rope-axle mechanism provided on left of principal pillar so that the reflectivity of the special bhagarbha mirror will cause the light rays to be mapped.

A mixture, heat sensor material, of empirical formula 8SiO₂ 5CaO4Fe₃ O₄ 6Ca₃ P₂ O₈ is made from mixture of 8 parts of silica SiO₂, 5 parts of CaO, 4 parts of magnetite Fe₃ O₄, and 6 parts of tricalcium phosphate Ca₃ P₂ O₈ or H₃ PO₄ i.e. ruruca (deer bone ash) fused in a rotating crucible (brahmanikamusa) at temperature 265 degree of ancient scale and poured rapidly into a yantramukh die to cast.

After that, the ultraviolet-visible differentiating chhayaprabhavibhajaka plate marked ⑬, which is made by joining two round plates side by side on base, be placed to collect vertical projections and display horizontally into round plates on both sides of principal pillar. Differentiating plate of empirical formula 10C 12NH₄ Cl 16SbS 24H₃ PO₄ 10Na 8SiO₂ 14Hg 9Fe₂ O₃ 5CaCO₃ is made from mixture of 10 parts graphite-C, 12 parts of NH₄ Cl, 16 parts SbS, 24 parts of H₃ PO₄, 10 parts of halides of Na and K, 8 parts of sand SiO₂, 14 parts of Hg, 9 parts of Fe₂ O₃, and 5 parts of CaCO₃ are placed in a crucible and fused in a furnace at temperature 526 degree of ancient scale and poured into a die to cast the plate. Further, right side plate should be coated seven times of paste made of Al₂ O₃, ferric ferrocyanides and copper salt. Then after, paste of alkali salts is coated on the plate and then fine dark sand is spread over the coatings. Afterwards, a colorful, charming and beautiful heat sensor is rapidly fixed.

Similarly, the left circular plate is coated seven times of a paste, which is prepared from mixture of alkali extract of either mimosa, acids of metal ashes of MnO₂ and arsenic compounds. The mixture is spread over the plate with the blue powder in the last. Next 37-grade UV radiation sensor is placed at the center.

Formation of Bharadwaj Spectral Rings

Fig. 2 shows a schematic diagram of working of Dhvanta Pramapaka Yantra and formation of Bharadwaj spectral rings. Light rays enter through top hole on collimating lens then, the rays it renders pass through the conical prism on the wheel underneath and continue cascading downwards to marked ⑭, which leaves a projection of a spectral ring that can be measured on dials on the base.

By properly adjusting the six discs, which are ratable about central pillar as shown in Fig.1, the emergent

sunrays from top right-side lens get dispersed from conical prism is focused on right plate. Similarly, with help of left side tamogarbhamani lens, which allows the UV radiation present in sunrays, focus the light on left side of the circular plate. Thus, with such arrangement, visible radiations on right side and UV on left side could be measured simultaneously.

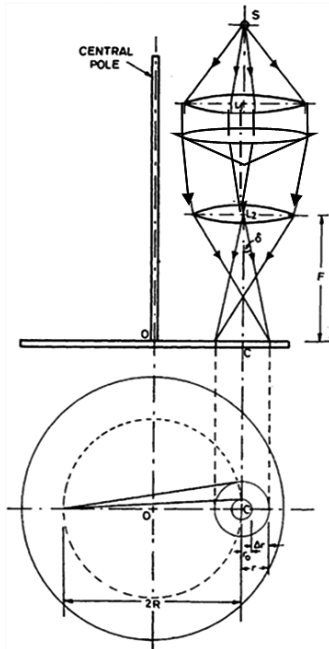


Fig. 2: Schematic diagram of working of Dhvānta Pramāpaka Yantra.

Theory of Formation of Bharadwaj Spectral Rings

In Fig.3, a light ray incident normally on base of conical prism of base angle α . The ray deviates at angle δ . Using Snell's law, the refractive index of prism material is:

$$\mu = \frac{\sin(\alpha + \delta)}{\sin \alpha} \dots(1)$$

If there is a small deviation Δ from central deviation δ_0 i.e., $\delta = \delta_0 + \Delta$, then,

$$\mu = \frac{\sin\{(\alpha + \delta_0) + \Delta\}}{\sin \alpha} = \frac{\sin(\alpha + \delta_0) \cos \Delta + \cos(\alpha + \delta_0) \sin \Delta}{\sin \alpha}$$

$$\mu = \left\{ \frac{\sin(\alpha + \delta_0)}{\sin \alpha} \right\} \cos \Delta + \frac{\{1 - \sin^2(\alpha + \delta_0)\} \sin \Delta}{\sin^2 \alpha}$$

$$\mu = \mu_0 \cos \Delta + \sin \Delta \sqrt{\csc^2 \alpha - \mu_0^2} \dots(2)$$

As $\Delta \rightarrow 0$, $\cos \Delta \rightarrow 1$ and $\sin \Delta \approx \Delta$, then,

$$\mu = \mu_0 + \Delta \sqrt{\csc^2 \alpha - \mu_0^2} \dots(3)$$

If i and e are the angles of incident and emergent and corresponding refraction angles are r_1 and r_2 for any prism of base angle α , then, from Snell's law of refraction, the refractive index of prism material is:⁸

$$\mu = \frac{\sin i}{\sin r_1} = \frac{\sin e}{\sin r_2}$$

But, for a prism

$$i + e = \alpha + \delta$$

$$r_1 + r_2 = \alpha$$

As $i \rightarrow \alpha$, then, $e \rightarrow \delta$. Thus,

$$\mu = \frac{\sin \alpha}{\sin r_1} = \frac{\sin \delta}{\sin r_2}$$

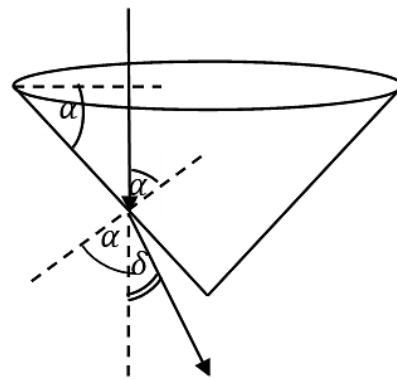


Fig. 3: Refraction through conical prism.

Then,

$$\sin \alpha = \mu \sin r_1$$

$$\sin \delta = \mu \sin r_2 = \mu \sin(\alpha - r_1) = \mu \sin \alpha \cos r_1 - \mu \cos \alpha \sin r_1$$

Elimination of $\sin r_1$ and $\cos r_1$ in above relation results to:

$$\mu \sqrt{1 - \left(\frac{\sin \alpha}{\mu}\right)^2} = \cos \alpha + \frac{\sin \delta}{\sin \alpha}$$

$$\mu^2 = \sin^2 \alpha + \left(\cos \alpha + \frac{\sin \delta}{\sin \alpha}\right)^2 \dots(4)$$

In accordance with Augustine Louis Cauchy, the wavelength λ dependent of refractive index μ of a dispersive medium is:⁸

$$\mu(\lambda) = a + \frac{b}{\lambda^2} + \frac{c}{\lambda^4} \dots(5)$$

Where a, b, and c are the Cauchy's constants. Usually, it is sufficient to use a two-term form of the Cauchy's equation. Sellmeier equation is a later development of Cauchy's work that handles anomalously dispersive regions, and more accurately models a material's refractive index across ultraviolet, visible, and infrared spectrum, which in its most general form is:⁹

$$\mu^2(\lambda) = a' + \sum_i \frac{b_i \lambda^2}{\lambda^2 - \lambda_i^2} \quad \dots(6)$$

with constant a' and each term of sum representing an absorption resonance of strength b_i at a wavelength $\sqrt{\lambda_i}$. Fig.4 shows variation of refractive index with wavelength. Both, the Cauchy's relation and Sellmeier relation exactly reproduce experimental data in range 3900Å-7800Å without deviation. Being small $b^2\lambda^4$, $bc\lambda^4$, $bc\lambda^6$, $c\lambda^4$, and $c^2\lambda^8$ are neglected in assimilation of Eqns. (4) and (5), whose final form is as below:

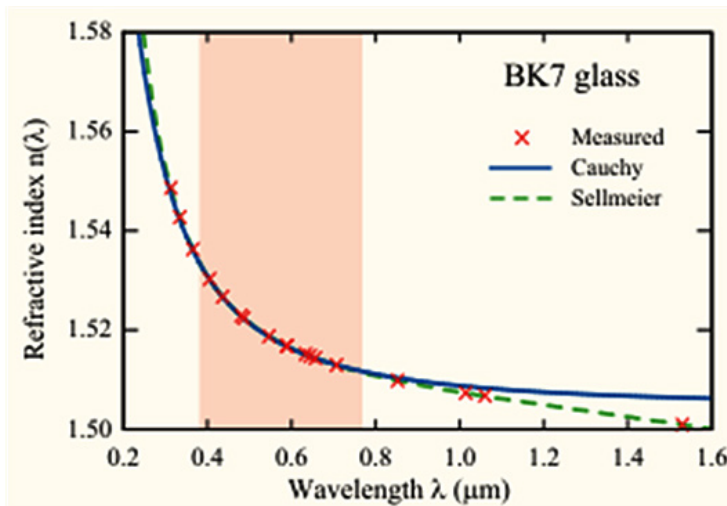


Fig. 4: Refractive index versus wavelength plot for Borosilicate (BK7) glass. Over the visible shaded region, Cauchy's equation (blue solid line) agrees well with measured refractive indices (red crosses) and Sellmeier plot (green dashed line) but deviates in ultraviolet and infrared regions.

$$\mu^2 = \sin^2 \alpha + \left[\sqrt{a^2 - \sin^2 \alpha} + \frac{ab}{\sqrt{a^2 - \sin^2 \alpha}} \frac{1}{\lambda^2} \right]^2 \quad \dots(7)$$

and,
 $c = a^2 \sin^2 \alpha / 2 (a^2 - \sin^2 \alpha)$

Therefore,

$$\sin \delta = \sin \alpha \left(\sqrt{a^2 - \sin^2 \alpha} - \cos \alpha \right) + \frac{ab \sin \alpha}{\sqrt{a^2 - \sin^2 \alpha}} \frac{1}{\lambda^2} \quad \dots(8)$$

Angular path difference δ at central axis of conical prism would be zero i.e., $\delta_0 = 0$ and thus, this line would be bright due to constructive interferences. The spectral rings would be formed due to dispersion around this line (Fig.5). If $\delta = \delta_0$ for $\lambda = \infty$ i.e., wave number $\bar{\nu} = 1/\lambda = 0$, then, Eqn. (8) becomes:

$$\sin \delta_0 = \sin \alpha \left(\sqrt{a^2 - \sin^2 \alpha} - \cos \alpha \right) \quad \dots(9)$$

Combination of Eqns. (8) and (9) results to:

$$\frac{1}{\lambda^2} = \frac{\sqrt{a^2 - \sin^2 \alpha}}{ab \sin \alpha} (\sin \delta - \sin \delta_0) \quad \dots(10)$$

Let r_0 and r be the radii of spectral rings corresponding to wavelengths $\lambda = \infty$ and λ , respectively. For both $\delta_0 \rightarrow 0$ and $\delta \rightarrow 0$, $\sin \delta_0 \approx \tan \delta_0 = r_0 / F_0$ and $\sin \delta \approx \tan \delta = r / F_0$, respectively with focal length F_0 of focusing lens. Therefore, above relation reduces to:

$$\frac{1}{\lambda^2} = \frac{\sqrt{a^2 - \sin^2 \alpha}}{F_0 ab \sin \alpha} (r - r_0) = k^2 \Delta r \quad \dots(11)$$

Here, $k^2 = \frac{\sqrt{a^2 - \sin^2 \alpha}}{F_0 ab \sin \alpha}$ and $\Delta r = r - r_0$.

$$\therefore \bar{\nu} = k \sqrt{\Delta r} \quad \dots(12)$$

Thus, wavenumber is proportional to square root of change in radii of spectral rings concerned with that for the limiting value of $\bar{\nu}=0$. Solar/stellar radiation are made to fall on focus of collimating lens through pin hole to render a beam of parallel rays that fall normally on the base of conical prism. After refraction through the prism, radiation of different wavelength imaged as rings of varying radii in the focal plane of focusing lens, which finally projects on the base plates as in Fig. 5.

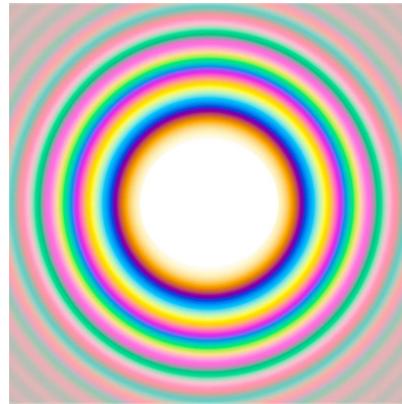


Fig. 5: Circular spectral rings formed by a conical prism.

Comparison of Eqns. (3) and (5) gives:

$$a = \mu_0 \text{ and } \Delta = \frac{b}{\lambda^2 \sqrt{\csc^2 \alpha - \mu_0^2}} \dots(13)$$

Table 1: Refractive index (for red, yellow, blue colors) and spectroscopic data for flint glass.

Refractive Index	Wavelength (Å)	Spectral Line	Color
1.622	6563	C	Red
1.627	5890	D	Yellow
1.639	4862	F	Blue

Evidently, deviation is inversely proportional to square of wavelength. Hence, varying in wavelengths, all colors deviated differently and form spectra. The spectroscopic data obtained in ancient time can be reproduced using Eqn. (13). The constants a and b can be estimated by placing the values of wavelength and corresponding standard refractive index as given in Table 1 for flint glass.⁹ For a flint glass made conical prism of base angle $\alpha=30^\circ$, $a=1.6013215$ and $b=0.0089068291 \mu m^2$, then,

$$\mu_0 = \frac{\sin(30^\circ + \delta_0)}{\sin 30^\circ} = 1.6013215 \dots(14)$$

And,

$$\Delta = \frac{0.0089068291 \mu m^2}{\lambda^2 \sqrt{4 - \mu_0^2}} = \frac{0.0074332845 \mu m^2}{\lambda^2} \text{ radian} = \frac{74.332845 \mu m^2}{\lambda^2} \text{ Kakshya} \dots(15)$$

Using Eqn. (15), spectral series number and its angle of deviation is obtained in kakshya unit. The longest wavelength end of visible radiation and the smallest wavelength of Infrared is 7700Å . Thus, Δ value for this point is:

$$\Delta = \frac{74.332845 \mu m^2}{(7700\text{Å})^2} \cong 125 \text{ Kakshya}$$

Evaluation of Kakshya

Spectral data is expressed in terms of ancient Vedic unit of angle Kakshya whose value is obtainable from the π value obtained by Aryabhata (476-540 AD) in around 500 AD that states that add four to one hundred, multiply by eight and then add sixty-two thousand; the result is approximately the circumference of a circle of diameter of twenty thousand values (approx.) i.e., $[(100+4) \times 8 + 62,000] / 20000 = 3,1416$, which is correct up to five places for the value of $\pi=22/7$.¹⁰ However, in accordance with Lilavati verse written by Bhaskaracharya-II (1114–1185 AD) in around 1150 AD, the value of π is diameter multiplied by 3927 and divided by 1250 is circumference of a circle. Thus, π value is:¹¹

$$\pi = \frac{3927}{1250} = \frac{3927 \times 8}{1250 \times 8} = \frac{31416}{10000}$$

Clearly, a circle of 10000-unit length has circumference of 31416 units. This is nearly equal to diameter multiplied by π . Thus, the Kakshya is the angle subtended by an arc of unit length at center of the circle i.e., 10000 kaksha=1 radian.

Table 2: Spectral (kakshya) number and spectral classes.

Spectral kakshya	Spectral class
125	Tamobindu
130	Alika
133	Kaulika
138	Randhra
146	Mand
156	Bimboka
176	Vichaka
186	Tamasa
194	Raunika
206	Kuta
216	Stambha
231	Sambara
249	Manchura
267	Gucchaka
287	Kudupa
315	Gulikā
345	Chhotikā
368	Padma
400	Mandala
428	Kanchuka
-	etc.

Measurement of Bharadwaj Spectral Rings

Amshubodhini provides the spectroscopic data in the unit of kaksha, which is the *angular* position of spectral rings, obtained from graduated circular scale. The enumeration of symbolic names of radiation measuring numbers are Alika, Kaulika, Randhra, Mand, Bimboka, Vichaka, Tamasa, Raunika, Kuta, Stambha, Sambara, Manchura, Gucchaka, Kudupa, Gulika, Chhetika, Padma, Mandala, Kanchuka,

etc. are given in Table 2 with their corresponding values and spectral classes. Similarly, kakshya value of Fraunhofer lines lying in visible region of solar spectrum can be obtained. Although many Fraunhofer lines have been observed in solar spectrum yet few of them have been classified as A, B, C, D, F, etc.⁹ Evaluation of kakshya values of these Fraunhofer lines indicate Alika as A, Bimboka as B, Vichaka as C, Stambha as D, Gucchaka as E₂, Kudupa as B₄, Gulika as F, Mandala as G, Kanchuka as h and Hg are very close to respective symbolic names available in the text are given in the Table 3 from column 2-6. Conversely, from kakshya values of the respective symbolic names Kaulika, Randhra, Mand, Tamasa, Raunika, Kuta, Shambhara, Manchura, Chhotika and Padma, the corresponding wavelengths may also be calculated and those are asterisk marked in third column of Table 3. These wavelengths may be accounted by those Fraunhofer lines, which are present in solar spectrum but no spectral symbol attributed to them in Astrophysics. In order to complete the list for visible range, two more H and K Fraunhofer lines along with the value of limiting wavelength 3900 Å as a conjunction of violet to ultraviolet radiation, which may be termed as andhatamobindu have been included in last three rows of the Table 3. The inclusion of these may also be considered as justified since the list of the symbolic names given in the text abruptly stops with etc. Thus, it is obvious that ancient list is not exhausted. Interestingly, symbolic names commencing from Kaulika to Mandala just match with the symbols of types of stars as enumerated in spectral classifications done in modern astrophysics shown in columns 7 and 8 of the Table 3 as type of star and visual appearance, respectively.

Table 3 Fraunhofer lines, spectral series, kakshya value and spectral colors.

S No	Fraunhofer lines	Wavelength (Å)	Kakshya value	Spectral kakshya	Spectral class	Spectral line	Spectral color
1	-	∞	0	0	-	-	-
2	-	7700	125.4	125	Tamobindu	-	-
3	A	7594	128.9	130	Alika	-	-
4	-	7476*	-	133	Kaulika	RN	Dark Red
5	-	7339*	-	138	Randhra	-	-
6	-	7135* Red	-	146	Mand	S	Dark Red
7	B	6870	157.6	156	Bimboka	-	-
8	C	6562	172.6	176	Vichaka	M	Red

9	-	6322*	-	186	Tamasa	-	-
10	-	6190*	-	194	Raunika	K	Reddish Yellow
11	-	6007* Orange	-	206	Kuta	-	-
12	D	5890 Yellow	214.3	216	Stambha	G	Yellow
13	-	5673*	-	231	Sambara	-	-
14	-	5464	-	249	Manchura	F	Yellowish White
15	E ₂	5270 Green	267.6	267	Gucchaka	-	-
16	B ₄	5168	278.3	287	Kudupa	A	White
17	F	4861	314.6	315	Gulikā	-	-
18	-	4642* Blue	-	345	Chhotikā	B	Blueish White
19	-	4495*	-	368	Padma	-	-
20	G	4308	400.5	400	Mandala	O	Blueish White
21	h, Hg	4164 Violet	428.7	428	Kanchuka	-	-
22	H	3968.5	472	-	-	-	-
23	K	3933.7	480	-	-	-	-
24	-	3900	489	-	Andhatama	-	-

It is found from the spectrogram that transmittance of material non-hygroscopic prakasha-stambha-nadi is 0.5% for $\bar{\nu} \geq 5000 \text{ cm}^{-1}$, which increases linearly up to maximum 9.27% for $\bar{\nu}=2200 \text{ cm}^{-1}$, $\lambda=455 \text{ }\mu\text{m}$, then, it decreases to zero for $\bar{\nu}=1400 \text{ cm}^{-1}$. The material of $\bar{\nu}=5000\text{-}1400 \text{ cm}^{-1}$ and kakshya 2-19 is suitable for the construction of lenses and windows, is transparent to infrared radiation.¹²

Results and Discussion

Unlike linear spectrum formed by a *triangular* prism, a conical prism forms circular spectral rings due to its complex structure of three-dimensional array of infinite *triangular* prisms.

The spectrometer Dhvanta Pramapaka Yantra facilitates to measure three regions viz. ultraviolet, visible and infrared regions of EM radiation simultaneously. Fig.6 shows a schematic diagram of circular ring formed by Dhvanta Pramapaka Yantra. for the measurement of visible radiation. The solar/stellar radiation is made to incident on collimating Prabhakarmani lens of divakardarsh disc (ancillary 7) that dispersed through conical prism, kirangrahakmani, of nishakardarsh disc (ancillary 8) and finally, focusing lens prabhamani of prabhamukhdarsha disc (ancillary 11) focuses the dispersed rays in spectral rings with centers over graduated circular scale chhaya- pakarsanadarsha (ancillary 2).

Reference given in the Amshubodhini for various radiation types with technical names and radiation

spectral kakshaya number, symbol, and colors used in spectral series in spectrometry are given in Table 3. Asterisked lines are not yet known in modern spectroscopy.^{12,13}

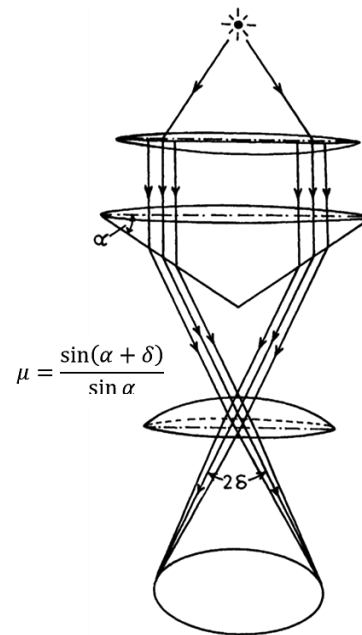


Fig. 6: Schematic diagram of circular ring formed by Dhvanta Pramapaka Yantra.

Conclusion

Vedic hymns reveal light dispersion is not a new concept perceived by humans instead it is an old concept perceived long ago BC. Dhvanta Pramapaka Yantra like sophisticated spectrometer, which is

quite novel, was made in use in Vedic periods in ancient India to measure dispersion for the spectral classification of solar/stellar radiations as is done now in Astrophysics today. Unlike linear spectrum formed by conventional *triangular* prisms, Maharshi Bharadwaj succeeded to form circular spectrums for the UV, visible and IR regions of the incident EM radiation using a conical prism, which is an array of three-dimensional infinite *triangular* prisms. The nature and properties of the ultraviolet, visible and infrared radiations were well known in ancient India. Many spectral lines known in ancient times are yet to be discovered. Not only the properties and methods of preparation of materials useful in construction of lens, prism, windows, etc. used in radiation studies were known to them but also, they have discovered a very special nonhygroscopic material prakasha-stambha-nadi for $\bar{\nu}=(5000-1400) \text{ cm}^{-1}$ transparent to infrared radiation. The ancient spectrometer needs to be modernized by replacing the rope-pulley arrangements to rack and pinion device to rotate discs more smoothly along with provisions of crosswire eyepiece to take observations more accurately. Further, in depth studies of antique books may explore more advanced hidden discoveries and inventions done in ancient India treasured in antique books.

Acknowledgement

Author is grateful to all colleagues and family members for their fruitful discussions, inspirations and supports during preparation of the manuscript.

Funding Sources

The author received no financial support for the research, authorship, and/or publication of this article.

Conflict of Interest

The author declares no conflict of interest in the article.

Data Availability Statement

This statement does not apply to this article.

Ethics Statement

This research did not involve human participants, animal subjects, or any material that requires ethical approval.

Author Contributions

The sole author was responsible for the conceptualization, methodology, data collection, analysis, writing, and final approval of the manuscript.

References

- Maharshi Bhardwaj. Amshubodhini Shastram. Soobbiah & Sons, Bangalore, India. 1931.
- Hodgman CD. Lange NA (Ed). Fraunhofer Lines: *Handbook of Chemistry and Physics*, USA. 1961.
- Straughan BP and Walker S. Spectroscopy. Chapman and Hall. 1970; 2: 347-348.
- Narlikar JV. The Structure of the Universe, O.U.P. London. 1990.
- Dongre NG. Spectroscopy in Ancient India. *Indian journal of History of Science*. 1998; 33(3): 229-238.
- Dongre NG. Dhvanta Pmapaka Yantra of Maharshi Bharadvaja. *Indian Journal of History of Science*. 1994; 29(4): 611-627.
- Prakarana-Panchika, Banaras Hindu University, *Varanasi*. 1961; 56-57.
- Jenkins A and White HE. Fundamentals of Optics, *McGraw-Hill, Inc*. 1981.
- Zur Erklärung WR. der abnormen Farbenfolgeim Spectrum einiger Substanzen. *Annalen der Physik und Chemie*. 1871; 219: 272-282.
- Aryabhata. Aryabhatiya. Ganitapad. 500 AD; Verse 10.
- Bhaskaracharya. Lilavati, *Kshetravyavahar*. 1114 AD; Verse 40.
- Dongre NG. Malviya SK. and Rao PR. Prakasha Stambhanabhida Lauha of Maharsi Bharadvaja: A novel IR transparent material of range 5000-1400 cm^{-1} . *Indian Journal of History of Science*. 1998; 33(4): 273-280.
- Dongre NG. Indian Journal of History of Science: *Metrology and Coinage in Ancient India and Contemporary World*. 1994; 29(3): 361-373.